

# Cómo introducir la codificación especial en los laboratorios de Matlab

Subíndices  $X_Y$ :       $X\&lt;sub\&gt;Y\&lt;/sub\&gt;$

Superíndices  $X^Y$ :       $X\&lt;sup\&gt;Y\&lt;/sup\&gt;$

Otros símbolos especiales:

| Símbolo | Código     |
|---------|------------|
| f       | $\&\#402;$ |
| α       | $\&\#945;$ |
| β       | $\&\#946;$ |
| γ       | $\&\#947;$ |
| δ       | $\&\#948;$ |
| ε       | $\&\#949;$ |
| ζ       | $\&\#950;$ |
| η       | $\&\#951;$ |
| θ       | $\&\#952;$ |
| ι       | $\&\#953;$ |
| κ       | $\&\#954;$ |
| λ       | $\&\#955;$ |
| μ       | $\&\#956;$ |
| ν       | $\&\#957;$ |
| ξ       | $\&\#958;$ |
| ο       | $\&\#959;$ |
| π       | $\&\#960;$ |
| ρ       | $\&\#961;$ |

|   |        |
|---|--------|
| ς | &#962; |
| σ | &#963; |
| τ | &#964; |
| υ | &#965; |
| φ | &#966; |
| χ | &#967; |
| ψ | &#968; |
| ω | &#969; |
| θ | &#977; |
| Υ | &#978; |
| π | &#982; |
| Α | &#913; |
| Β | &#914; |
| Γ | &#915; |
| Δ | &#916; |
| Ε | &#917; |
| Ζ | &#918; |
| Η | &#919; |
| Θ | &#920; |
| Ι | &#921; |
| Κ | &#922; |
| Λ | &#923; |
| Μ | &#924; |

|     |         |
|-----|---------|
| N   | &#925;  |
| Ξ   | &#926;  |
| O   | &#927;  |
| Π   | &#928;  |
| P   | &#929;  |
| Σ   | &#931;  |
| T   | &#932;  |
| Υ   | &#933;  |
| Φ   | &#934;  |
| X   | &#935;  |
| Ψ   | &#936;  |
| Ω   | &#937;  |
| •   | &#8226; |
| ... | &#8230  |
| '   | &#8242; |
| "   | &#8243; |
| —   | &#8254; |
| /   | &#8260; |
| ∅   | &#8472; |
| ℑ   | &#8465; |
| ℔   | &#8476; |
| ™   | &#8482; |
| ℵ   | &#8501; |

|   |         |
|---|---------|
| ← | &#8592; |
| ↑ | &#8593; |
| → | &#8594; |
| ↓ | &#8595; |
| ↔ | &#8596; |
| ↶ | &#8629; |
| ⇐ | &#8656; |
| ⇑ | &#8657; |
| ⇒ | &#8658; |
| ⇓ | &#8659; |
| ↔ | &#8660; |
| ∀ | &#8704; |
| ∂ | &#8706; |
| ∃ | &#8707; |
| ∅ | &#8709; |
| ∇ | &#8711; |
| ∈ | &#8712; |
| ∉ | &#8713; |
| ∋ | &#8715; |
| ∏ | &#8719; |
| Σ | &#8721; |
| − | &#8722; |
| * | &#8727; |

|                      |         |
|----------------------|---------|
| $\sqrt{\phantom{x}}$ | &#8730; |
| $\propto$            | &#8733; |
| $\infty$             | &#8734; |
| $\angle$             | &#8736; |
| $\wedge$             | &#8743; |
| $\vee$               | &#8744; |
| $\cap$               | &#8745; |
| $\cup$               | &#8746; |
| $\int$               | &#8747; |
| $\therefore$         | &#8756; |
| $\sim$               | &#8764; |
| $\cong$              | &#8773; |
| $\approx$            | &#8776; |
| $\neq$               | &#8800; |
| $\equiv$             | &#8801; |
| $\leq$               | &#8804; |
| $\geq$               | &#8805; |
| $\subset$            | &#8834; |
| $\supset$            | &#8835; |
| $\not\subset$        | &#8836; |
| $\subseteq$          | &#8838; |
| $\supseteq$          | &#8839; |
| $\oplus$             | &#8853; |

|   |          |
|---|----------|
| ⊗ | &#8855;  |
| ⊥ | &#8869;  |
| · | &#8901;  |
| [ | &#8968;  |
| ] | &#8969;  |
| ⌊ | &#8970;  |
| ⌋ | &#8971;  |
| ⟨ | &#10216; |
| ⟩ | &#10217; |
| ♠ | &#9674;  |
| ♣ | &#9824;  |
| ♣ | &#9827;  |
| ♥ | &#9829;  |
| ♦ | &#9830;  |